

# OPTIMAL FACILITY LOCATION AND SERVICE AREAS FOR THE DISTRIBUTION OF CRITICAL RELIEF IN POST-DISASTER ENVIRONMENTS



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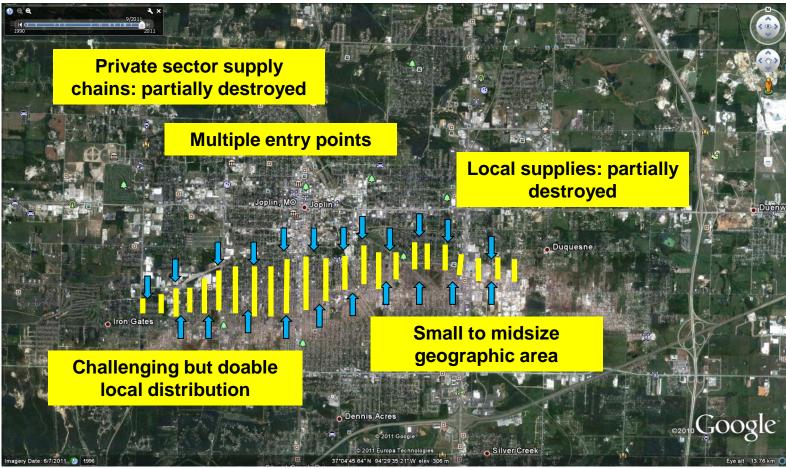
#### MOTIVATION

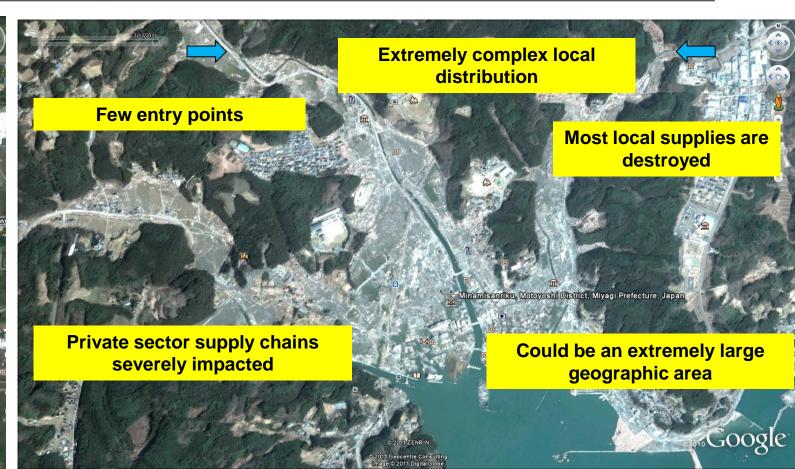
- Natural disasters affect millions of people every year, and trillions of dollars in damage
- Due to climate change, disasters are becoming more catastrophic
- Catastrophic events pose unique challenges to the humanitarian sector:
  - Delivering aid to the locals
  - Planning and prepositioning relief is many times financially prohibited

This research aims to contribute to the Disaster Response Logistics (DRL) field efforts through the location and planning of Points of Distribution (PODs) to deliver relief supplies.

# LESSONS FROM FIELD WORK

#### Lesson: Disasters are Catastrophes are not the same



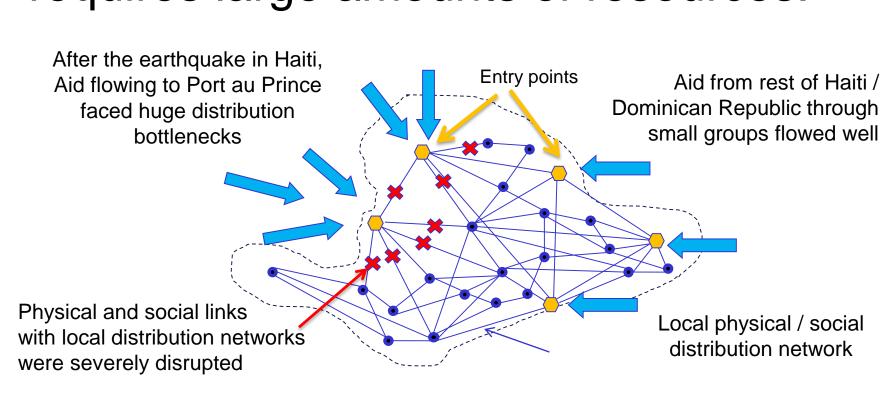


Disaster: Joplin Tornado

Catastrophe: Japan Tsunami

# Lesson: Challenge of Local Distribution

Distribution of supplies at the local level requires large amounts of resources.





A similar crisis unfolded in Puerto Rico after Hurricane María

# Lesson: Commercial Logistics is different from DRL



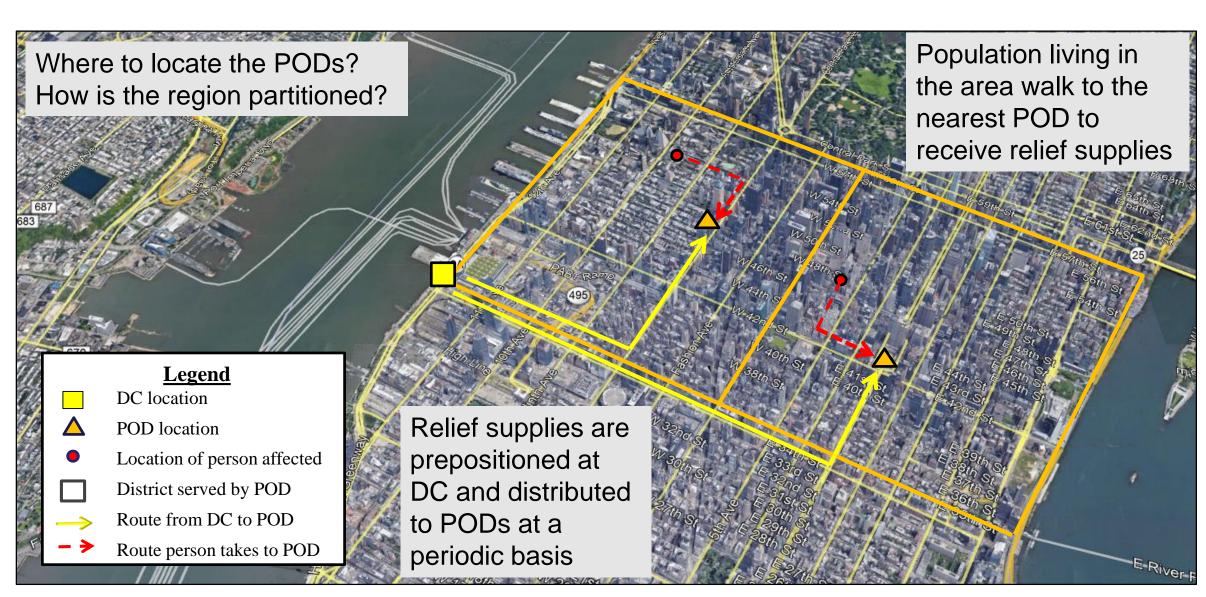
Characteristic	Commercial Logistics	Disaster Response Logistics
Objective	Min Logistics Costs	Min Social Costs (add deprivation costs)
Flow of cargo	Self-contained	Material convergence
Demand	Known with some certainty	Unknown/dynamic
Decision making structure	Controlled by a few decision makers	Non-structured, thousands of DMs
Periodicity	Repetitive	One in a lifetime
Supporting systems	Stable and functional	Severely impacted

After Hurricane Maria struck Puerto Rico in 2017, vital supplies were stuck in ports and warehouses, leading to crisis among the population in need

# DISCRETE-CONTINUOUS MODEL

#### Assumptions:

- Demand is continuously distributed in the region
- Location of supplier warehouse is fixed and has a fixed capacity
- PODs may be located anywhere in the region
- Relief supplies are sent from the warehouse to the PODs using vehicles of similar characteristics
- A generic commodity type is considered
- Manhattan distances are assumed
- Typical shapes are considered for the regions and districts



**Objective: Minimize Total Social Costs** 

# Social Costs = Logistical Costs + Deprivation Costs

 $\Phi = \sum \left| c^{F}(x_{ij}^{p}, y_{ij}^{p}) + c^{H} \frac{f_{ij}q_{ij}}{2} + 2c^{T}\tau^{D}(x_{ij}^{p}, y_{ij}^{p})f_{ij}veh_{ij} + \int \int \rho(x, y)\gamma_{g}(\theta_{g}, \delta(x, y, x_{ij}^{p}, y_{ij}^{p}))dydx \right|$ 

- Deprivation costs  $\gamma_g(\theta_g, \delta)$  depend on deprivation times,  $\delta$ , which include:
- The time to walk to the POD
- The time they have to wait for the relief

**Deprivation costs** are defined as "the economic value of the human suffering caused by a lack of access to a good or service" (Holguín-Veras et al. 2013)

# **Discrete-Continuous Model:**

#### Subject to:

Minimize  $\Phi = \Omega + \Gamma$ 

 $\sum \sum q_{ij} f_{ij} T \leq Q^{TOT}$ 

subject to:	
$b^{L}(x_{i}) \leq x_{ij}^{p} \leq b^{U}(x_{i})  \forall i, j$ $b^{L}(y_{j}) \leq y_{ij}^{p} \leq b^{U}(y_{j})  \forall i, j$	Boundary conditions of the district
$ au_{ij}^{W} =  au_{ij}^{VEH} +  au^{SA} q_{ij}  orall i, j$	Waiting times
$t_{ij} \ge \tau^{DC} + \tau^{SA} + 2\tau_{ij}^{VEH}  \forall i, j$	Time between deliveries
$p_{ij}^s =  ho A_{ij}  orall i, j$	Population served
$q_{ij} = t_{ij} \eta  p_{ij}^s  orall i, j$	Shipment size
$q_{ij} \leq Q^{V} veh_{ij}  \forall i, j$	Transportation capacity

Supply capacity

### Study Area Characteristics | Potential District (Inputs) Configurations Continuous Approximation Functions

Mixed-Integer Program

Outputs

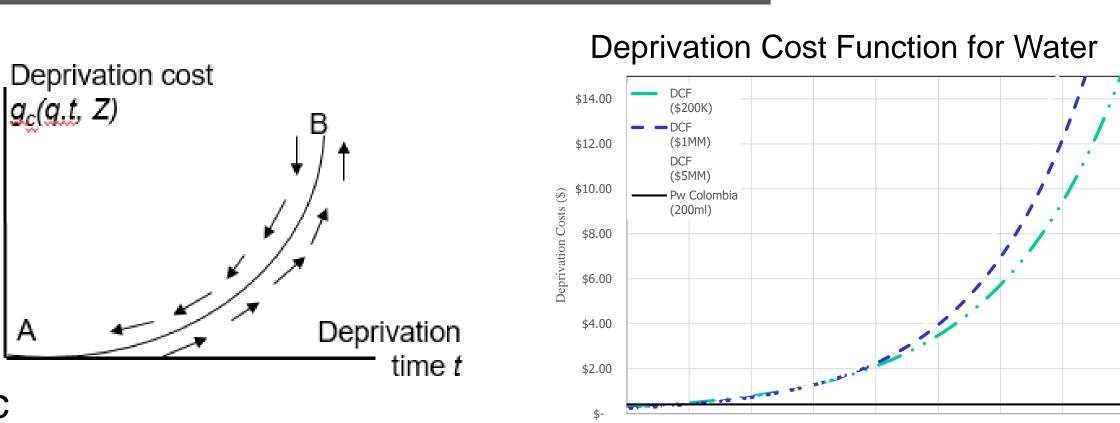
#### The larger the waiting times with respect to the next district, the smaller the size of the district.

# RESULTS

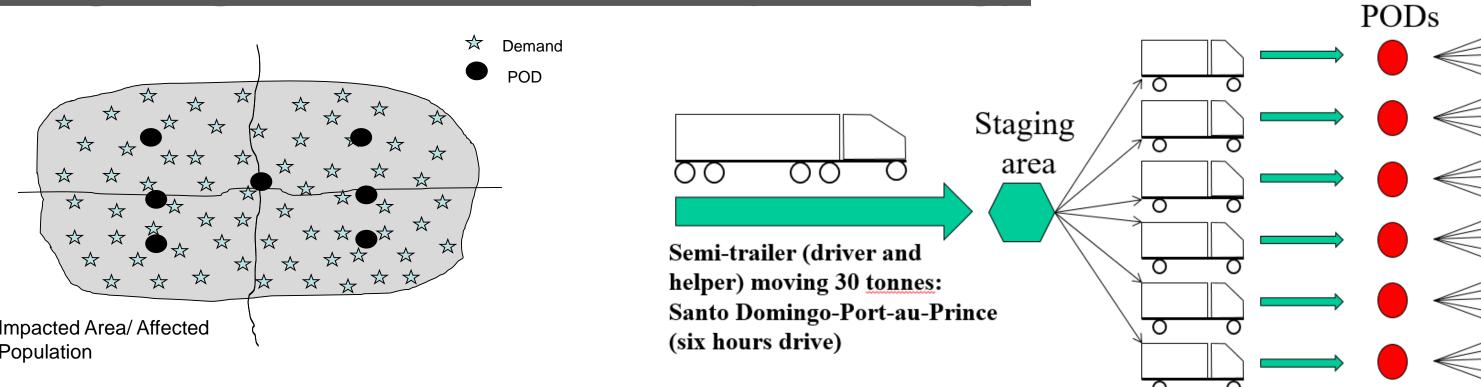
#### **Empirical Estimates for Water Deprivation**

Deprivation cost functions:

- Monotonic
- Non-linear
- Convex Non-additive
- demands Possibly Hysteretic

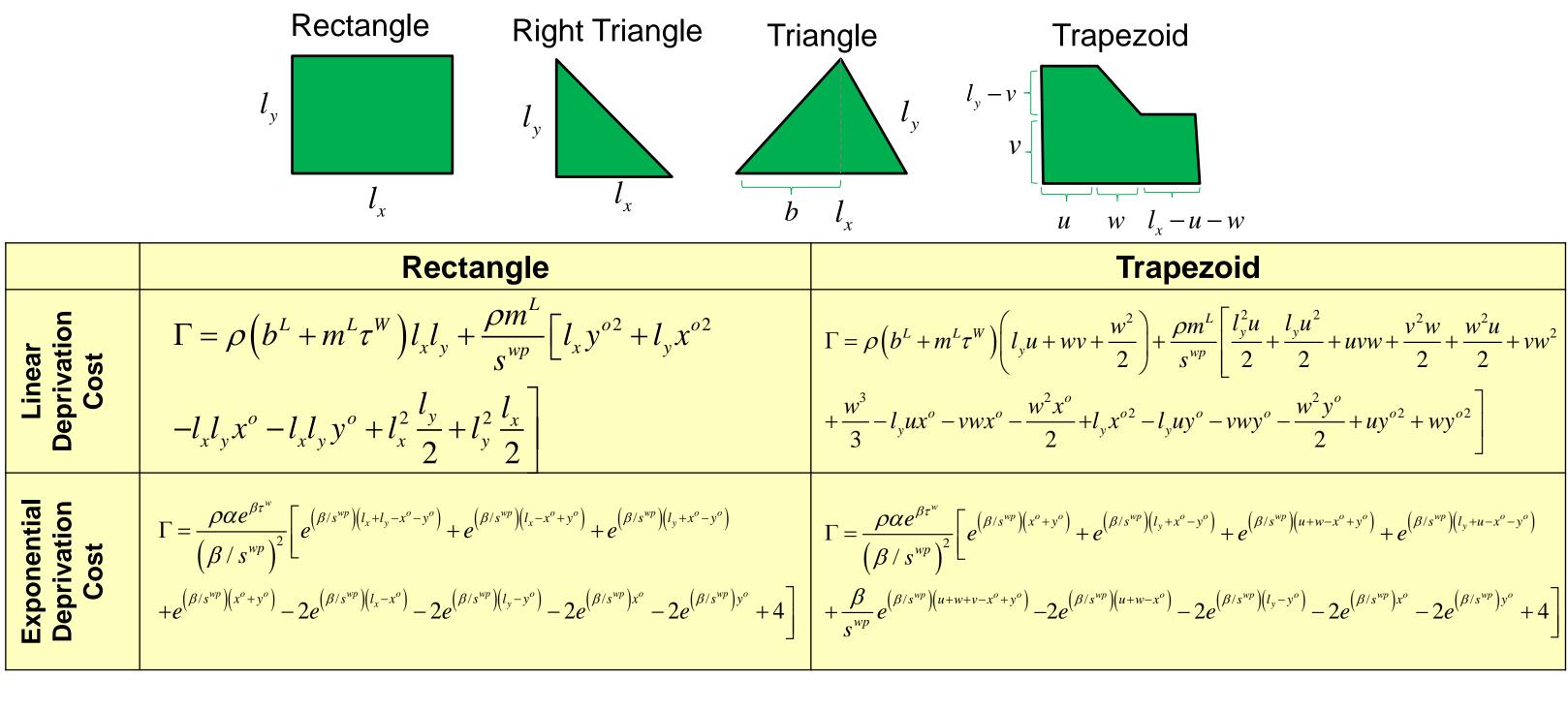


**Designing PODs and Delivery Strategy** 



## **Continuous Approximation Functions**

Assuming demand is uniformly distributed, we generate the following CA functions for typical districting shapes:



#### Illustration: Locating PODs using rectangular districts Assume the location of one POD in a rectangular shaped region

#### Insights obtained from the optimal solutions:

- PODs will be located at the center and will move closer to the DC at a magnitude of the ratio of unit cost of delivery and deprivation costs per distance travelled.
- Districts will be equal if the frequency of deliveries remain equal.
- Waiting times get larger at districts that are farther away, and as the shipment size increases.

